

SOLUTION

1.(d)
 $5+2*1=7$
 $7+3*2=13$
 $13+4*3=25$
 $25+5*4=45$
 $45+6*5=75.$

2.(c)
 $1^3+1=2$
 $2^3-2=6$
 3^3+3
 $4^3-4=60$
 $5^3+5=130$
 $6^3-6=210.$

3.(b)
 $5*2-3=7$
 $7*2-3=11$
 $11*2-3=19$
 $19*2-3=35$
 $35*2-3=67.$

4.(b)
 $16^{*0.5}=8$
 $8^{*1}=8$
 $8^{*1.5}=12$
 $12^{*2}=24$
 $24^{*2.5}=60.$

5.(a)
 $2^2-2=2$
 $3^2-2=7$
 $4^2-2=14$
 $5^2+2=23$
 $6^2-2=34$
 $7^2-2=47.$

6.(d)
 $3840/4=960$
 $960/4=240$
 $240/4=60$
 $60/4=15$
 $15/4=3.75.$

7.(a)
 $25+15=40$
 $40+15=55$
 $55+15=70$
 $70+15=85$
 $85+15=100.$

8.(c)
 $1*2*3=6$
 $2*3*4=24$
 $3*4*5=60$
 $4*5*6=120$
 $5*6*7=210$
 $6*7*8=336.$

9.(d)
 $(52, 44, 36)$

$52-8=44$
 $44-8=36.$
 $(36, 42, 48)$
 $36+6=42$
 $42+6=48.$

10.(b)
 $5760 / 2 = 2880.$
 $2880/3 = 960.$
 $960/4 = 240.$
 $240/5 = 48.$
 $48/6 = 8.$

11.(a)

12.(d)

13.(c)

14.(c)

15.(e)

16.(b)

17.(c)

18.(a)

19.(d)

20.(d)

21.(c)

22.(d)

\therefore P men working P hours/day for P days produce P units of work.

\therefore 1 man working 1 hours/day for 1 day produce

$$\frac{P}{P^3} = \frac{1}{P^2} \text{ units of work}$$

\therefore n men working n hours a day for n day's produce $\frac{n^3}{P^1}$ units of

work

23.(c)

$$(A + B)' \text{ s 1 day's work} = \frac{1}{8}$$

$$(B + C)' \text{ s 1 days' work} = \frac{1}{12}$$

$$(C + A)' \text{ s 1 day's work} = \frac{1}{8}$$

On adding, 2 (A + B + C)' s 1 day's work

$$= \frac{1}{8} + \frac{1}{12} + \frac{1}{8} = \frac{3+2+3}{24}$$

$$= \frac{8}{24} = \frac{1}{3}$$

\therefore (A + B + C)' s 1 day's work

Hence, the work will be completed in 6 days.

24.(a)

Working 5 hours a day, a can complete a work in 8 days. i.e, A can complete the work in 40 hours.

Similarly,

B will complete the same work in 60 hours.

\therefore (A + B)' s 1 hour's work

$$= \frac{1}{40} + \frac{1}{60} = \frac{3+2}{120} = \frac{5}{120} = \frac{1}{24}$$

Hence, A and B together will complete the work in 24 hours.

